

Power Electronics

INVERTERS

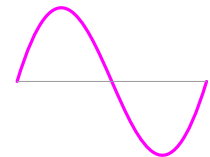
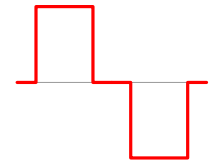
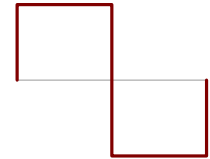
2018

Dr. Francis M. Fernandez

Inverter Classification

Classification of inverters based on wave shape

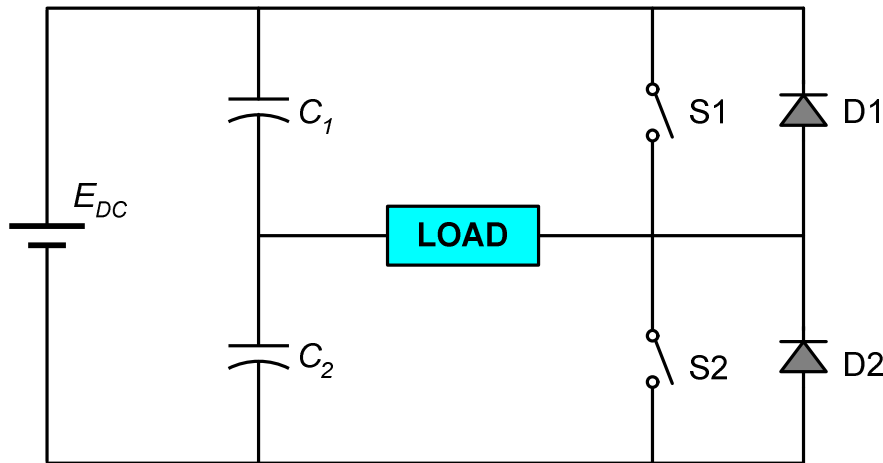
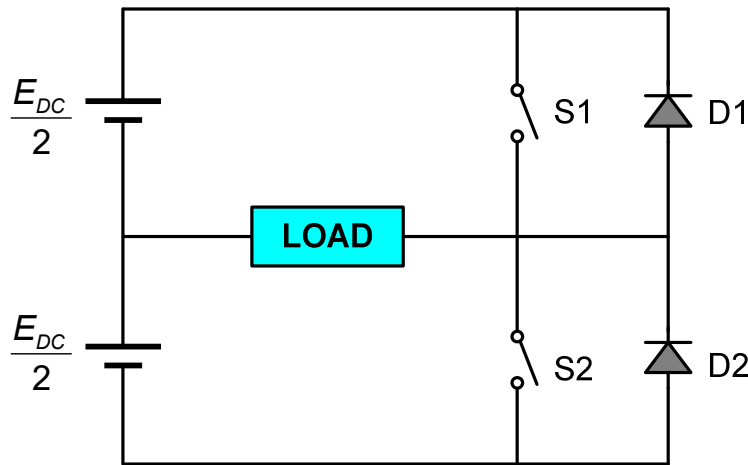
- ❑ Square wave
- ❑ Quasi square wave
- ❑ Sine wave



Classification of inverters based on Input

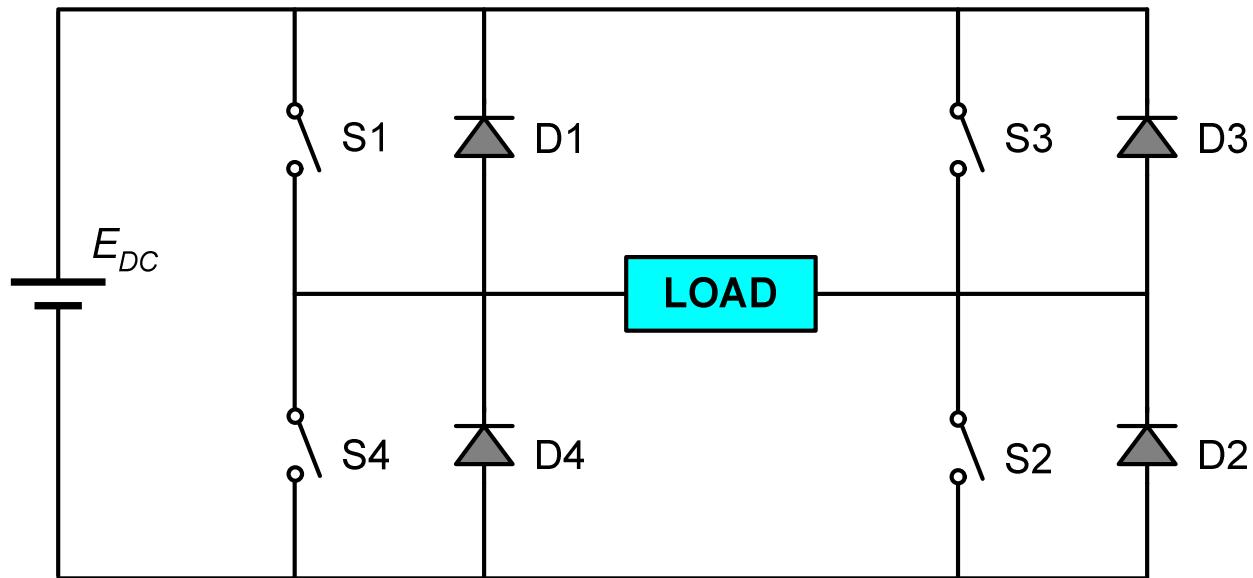
- ❑ Voltage source
- ❑ Current source

Half bridge inverter



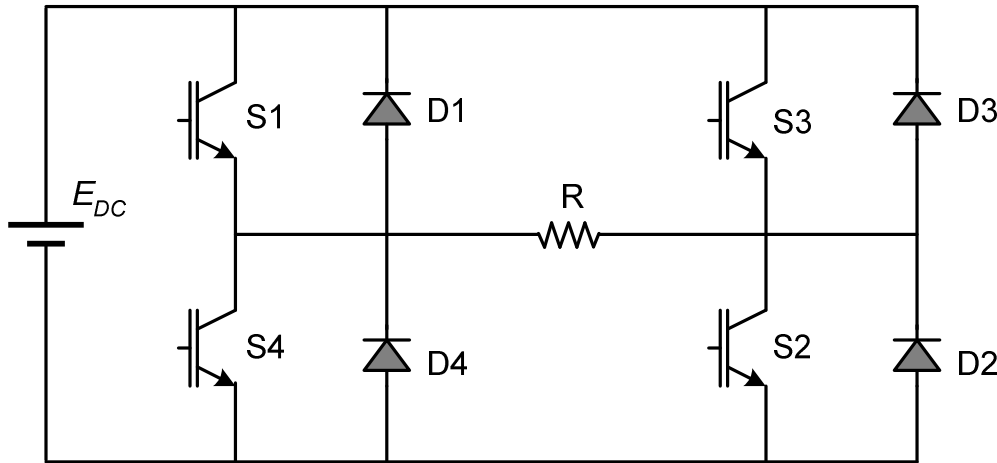
- Switches S1 and S2 used are gate commutated devices such as BJT, MOSFET, IGBT, GTO etc
- S1 and S2 are turned on alternately to produce an ac voltage across the load
- Each switch is ON for half time period ($T/2$) of the desired frequency

Full bridge inverter



- ❑ S1 and S2 turned on in the first half cycle ($T/2$)
- ❑ S3 and S4 turned on in the second half cycle ($T/2$)

Full bridge inverter – R load



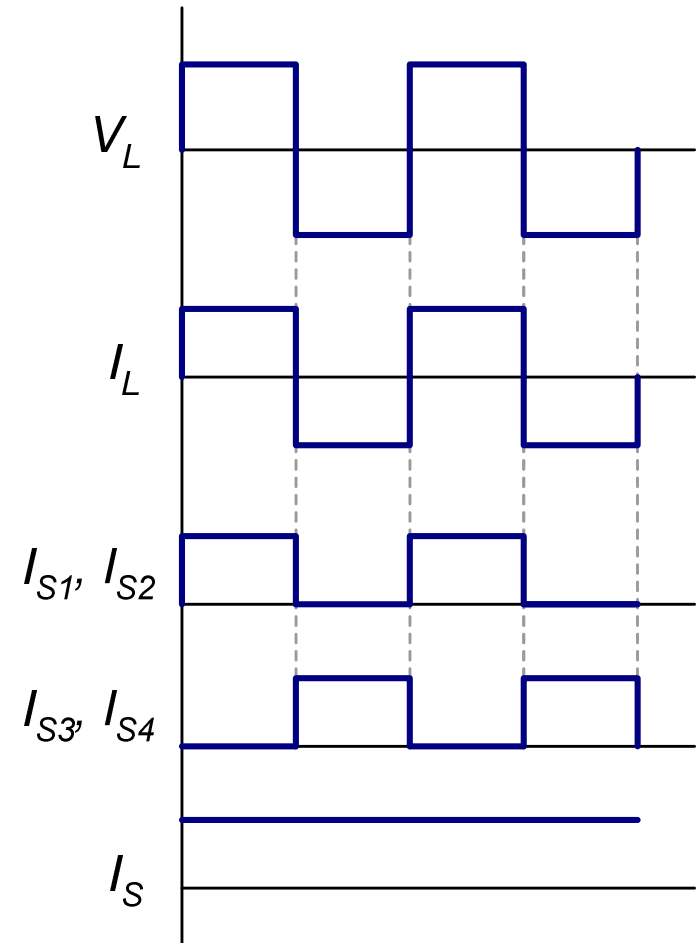
Two modes of operation:

Mode 1:

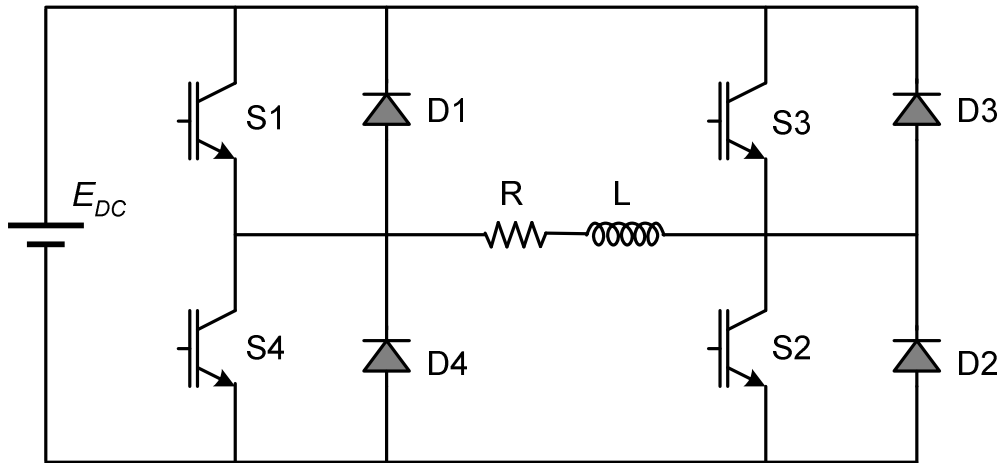
S1 and S2 are ON

Mode 2

S3 and S4 are ON



Full bridge inverter – RL load



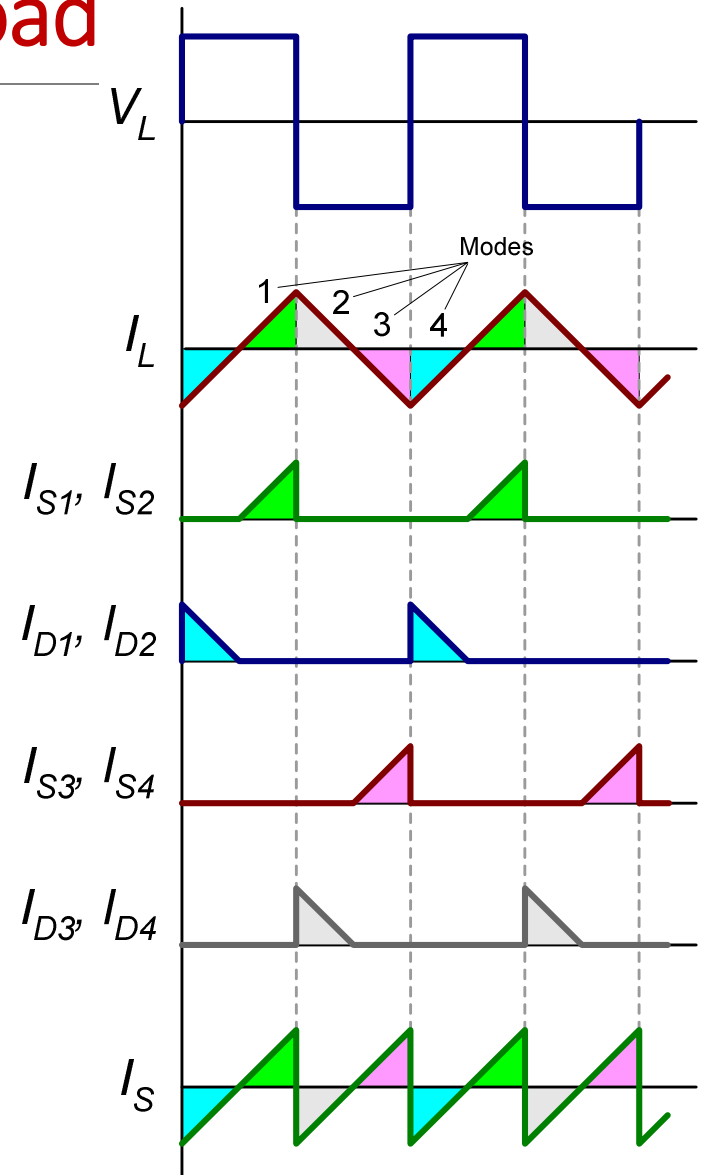
Four modes of operation:

Mode 1: S1 and S2 are ON, Output +ve

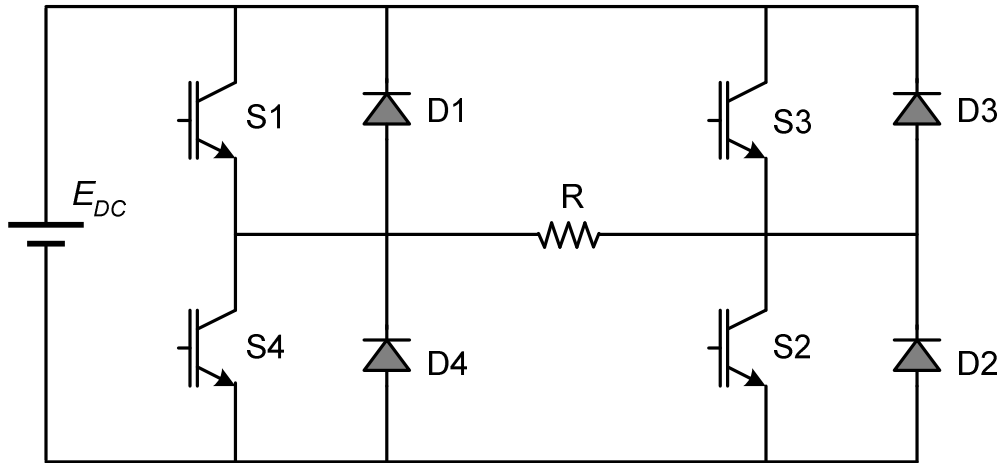
Mode 2: D3, D4 conducts, Output -ve

Mode 3: S3 and S4 are ON, Output -ve

Mode 4: D1, D2 conducts, Output +ve



Full Bridge Inverter – Transistor Ratings

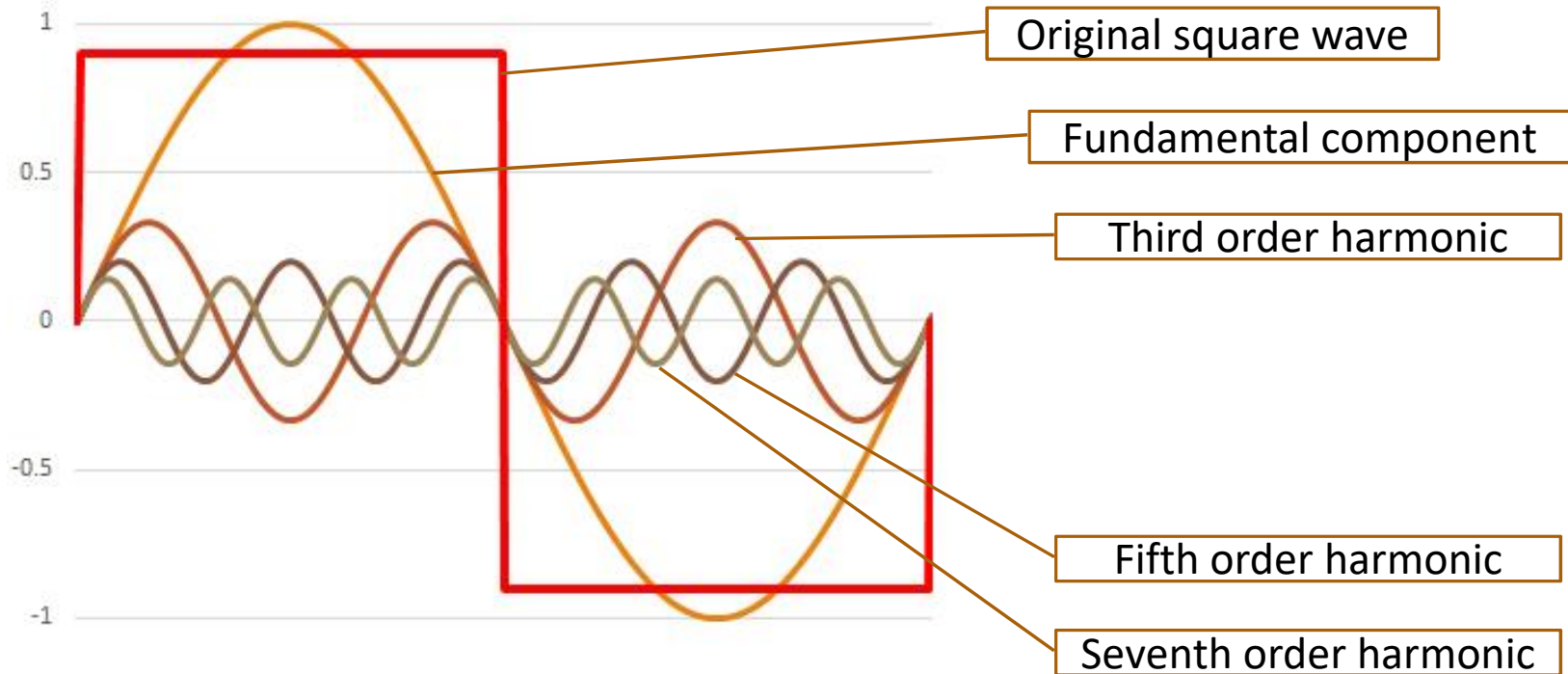


$$V_{CE(0)} \geq E_{DC}$$

$$I_{T(ave)} = \frac{E_{DC}}{2R}$$

$$I_{T(peak)} = \frac{E_{DC}}{R}$$

Harmonics



Fourier series for symmetrical square wave,
$$e = \sum_{n=1,3,5,..}^{\infty} \frac{4E_{DC}}{n\pi} \sin(n \omega t)$$

Harmonics

$$\text{Fourier Series, } e = \sum_{n=1,3,5,\dots}^{\infty} \frac{4E_{DC}}{n\pi} \sin(n\omega t)$$

$$\text{Fundamental output voltage, } E_1 = \frac{2\sqrt{2}}{\pi} E_{DC}$$

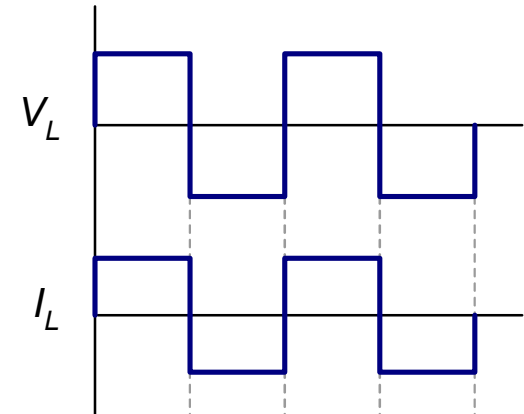
(rms)

$$\text{ie. } E_1 = 0.9 E_{DC}$$

$$n^{\text{th}} \text{ order output voltage, } E_n = \frac{E_1}{n}$$

$$\text{RMS value, } E_{(rms)} = \sqrt{E_1^2 + E_3^2 + E_5^2 + \dots}$$

$$\text{Harmonic voltage, } E_h = \left(\sum_{n=3,5,\dots}^{\infty} E_n^2 \right)^{1/2} = \left(E^2 - E_1^2 \right)^{1/2} = 0.4352 E_{DC}$$



Harmonic Parameters

Harmonic factor for nth harmonic measures the individual harmonic contribution

$$\text{Harmonic Factor, } HF_n = \frac{E_n}{E_1}$$

Total harmonic distortion is a measure of how different is the actual waveform from its fundamental component

$$\text{Total Harmonic Distortion, } THD = \frac{1}{E_1} \left(\sum_{n=3,5,\dots}^{\infty} E_n^2 \right)^{1/2} = \frac{E_h}{E_1}$$

Harmonic factor is a measure of effectiveness in reducing unwanted harmonics using filters

$$\text{Distortion Factor, } DF = \frac{1}{E_1} \left(\sum_{n=3,5,\dots}^{\infty} \left(\frac{E_n}{n^2} \right)^2 \right)^{1/2}$$

Comparison of parameters in Half Bridge and Full Bridge Inverters

	Full Bridge	Half Bridge
Output voltage	$E_O = E_{DC}$	$E_O = \frac{E_{DC}}{2}$
Fundamental output voltage	$E_1 = \frac{2\sqrt{2}}{\pi} E_{DC} = 0.9 E_{DC}$	$E_1 = \frac{2\sqrt{2}}{\pi} \frac{E_{DC}}{2} = 0.45 E_{DC}$
Harmonic output voltage	$E_h = 0.4352 E_{DC}$	$E_h = 0.2176 E_{DC}$
Peak breaking voltage of switches	$E_{BR} = E_{DC}$	$E_{BR} = E_{DC}$

Example

A single phase full bridge inverter is operated from 48 V battery and supplying power to a 24 ohm load. Determine output power THD of output and transistor ratings.

Solution:

$$\text{RMS Power, } P = \frac{E^2}{R} = \frac{48^2}{24} = 96 \text{ W}$$

$$E_1 = 0.9 E_{DC} = 0.9 \times 48 = 43.2 \text{ V}$$

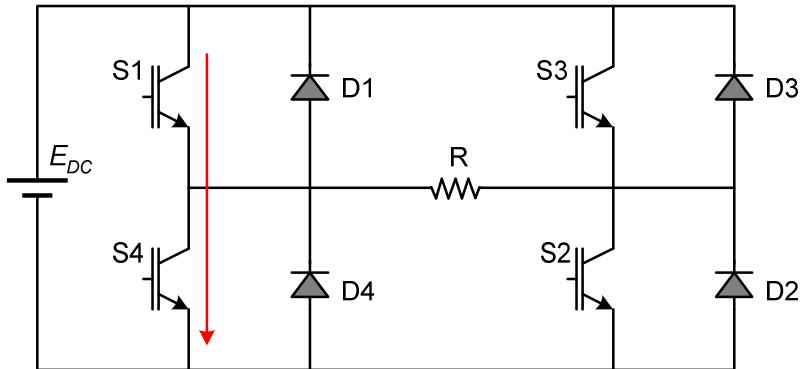
$$E_h = 0.4352 E_{DC} = 0.4352 \times 48 = 20.89 \text{ V}$$

$$\text{THD} = \frac{E_h}{E_1} = \frac{20.89}{43.2} = 48.36 \%$$

$$V_{CE} \geq 48 \text{ V}$$

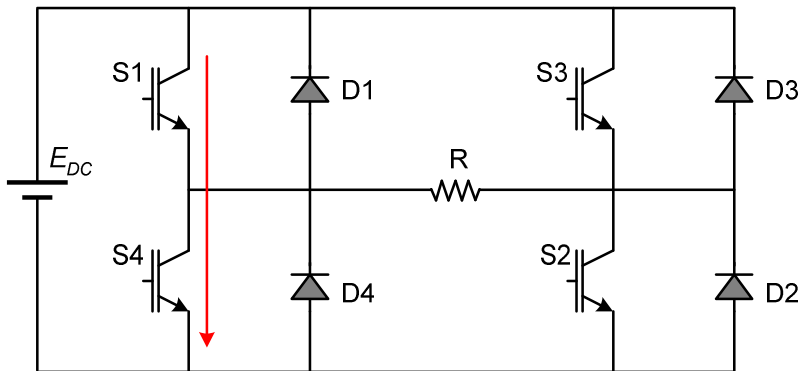
$$\begin{aligned} I_{T(\text{peak})} &= \frac{E_{DC}}{R} \\ &= \frac{48}{24} = 2 \text{ A} \end{aligned}$$

Cross Conduction or Shoot Through Fault

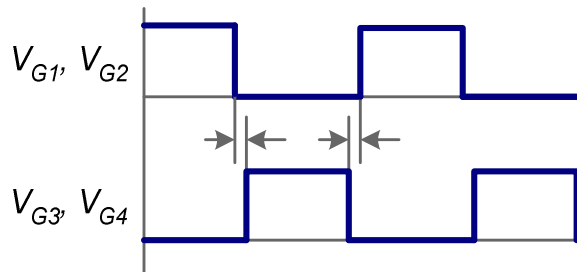


- Normally the switches in the bridge switch on in pairs – S1-S2 turn on first and after they are off, S3-S4 turn on
- Therefore the switches in the same leg (say S1 and S4) may not turn on at the same time
- Due to turn off delay, incoming device and outgoing device of the same leg in the bridge conduct at the same instant and short circuits the DC source.
- This fault damages both the devices

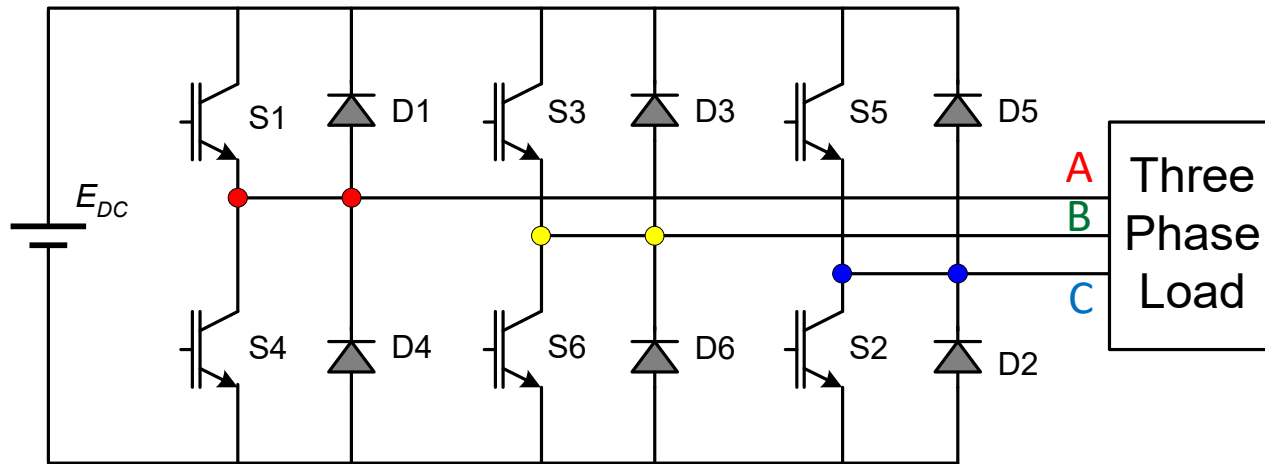
Cross Conduction or Shoot Through Fault



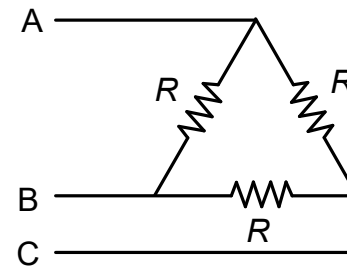
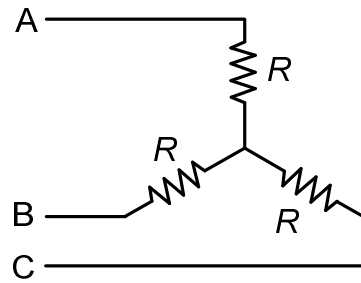
- A solution for cross conduction fault is to introduce a **dead band** or delay between the trailing edge of the gate input of outgoing device and the leading edge of the gate input of incoming device
- Dead band should be longer than the turn off time of the inverter



3-Phase Inverter

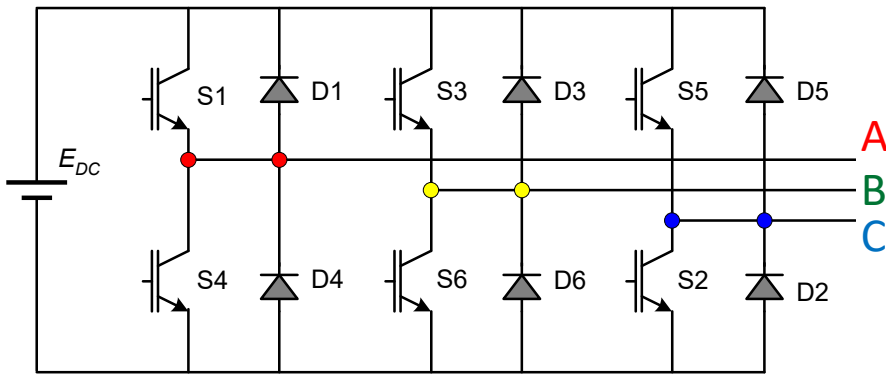


Load configurations

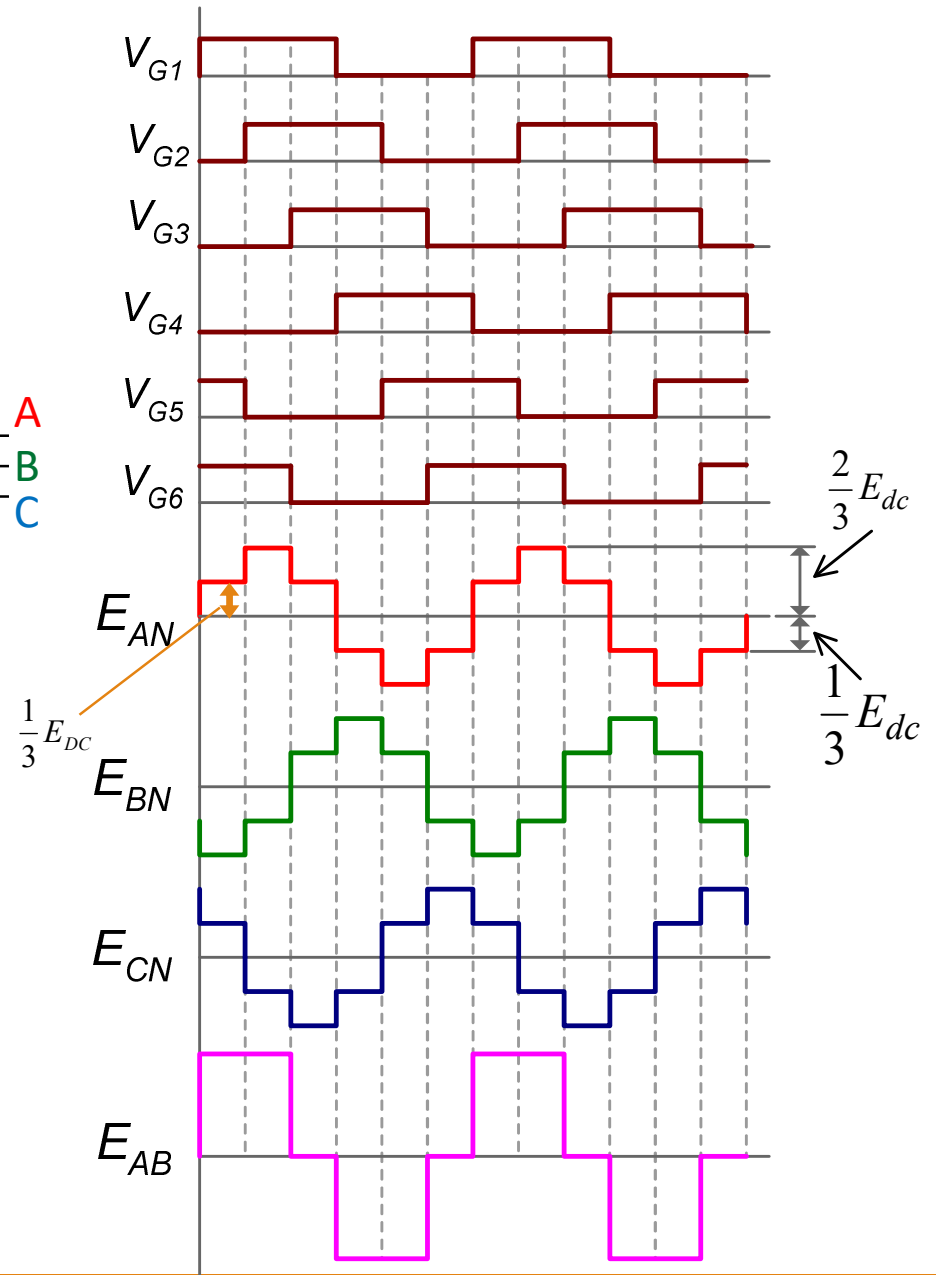
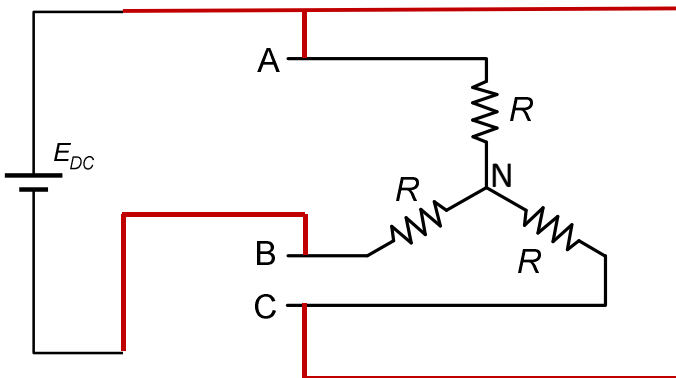


3-Phase Inverter

180° conduction

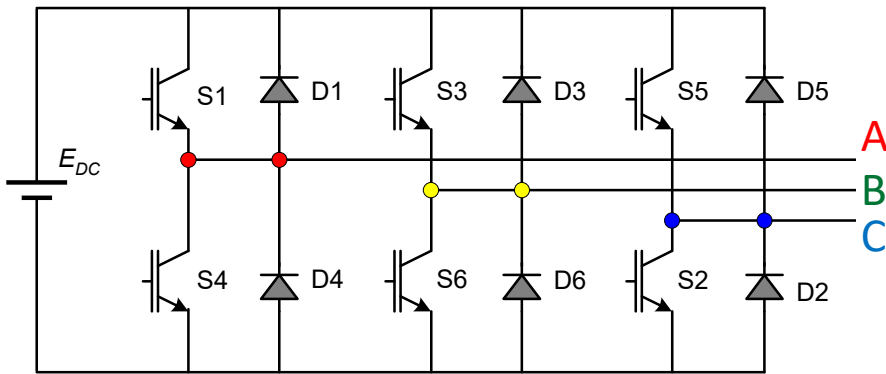


Connection during **first** interval

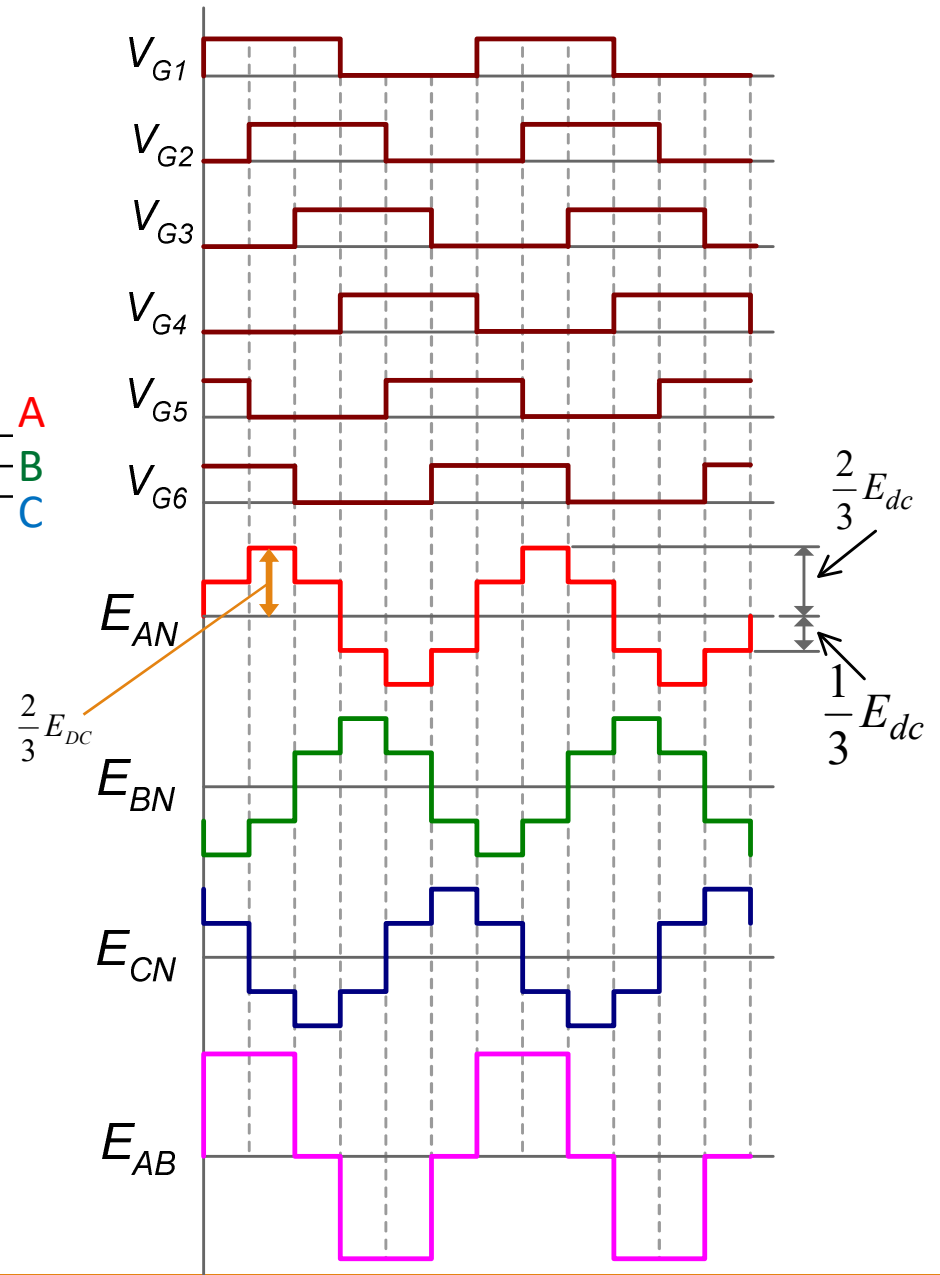
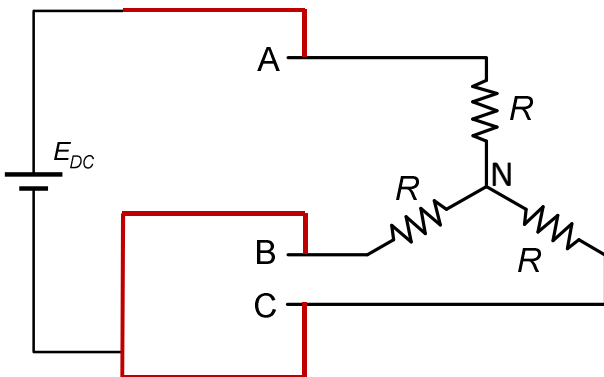


3-Phase Inverter

180° conduction

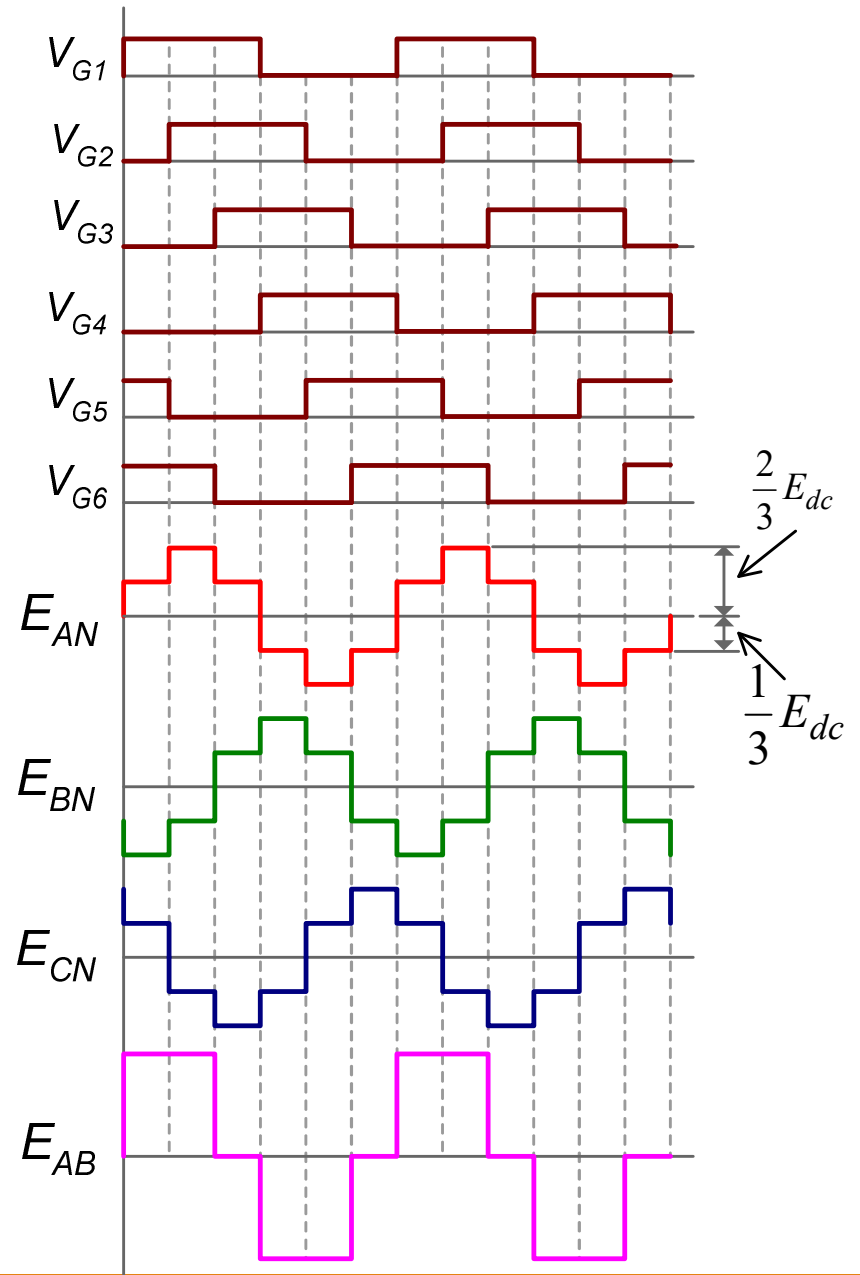
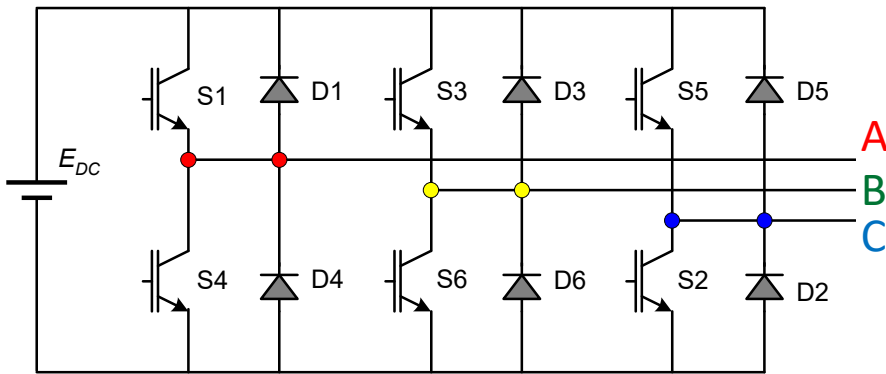


Connection during **second** interval



3-Phase Inverter

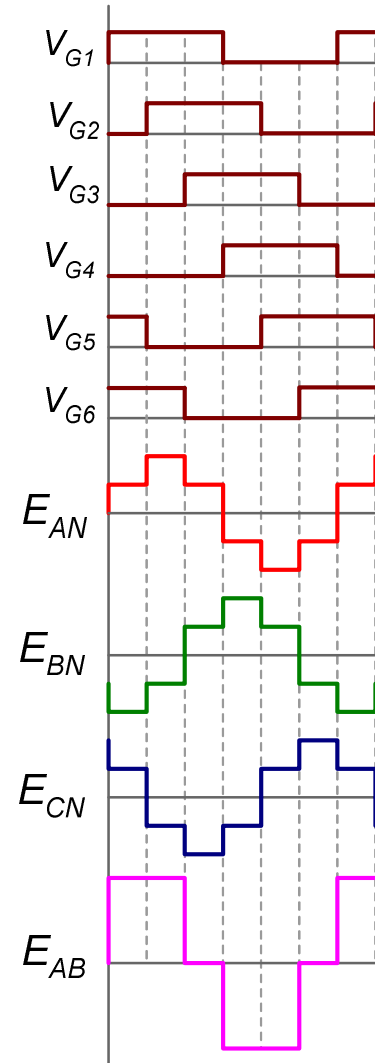
180° conduction



Interval	Incoming Device	Conducting Devices
1	S1	5,6,1
2	S1	6,1,2
3	S3	1,2,3
4	S4	2,3,4
5	S5	3,4,5
6	S6	4,5,6

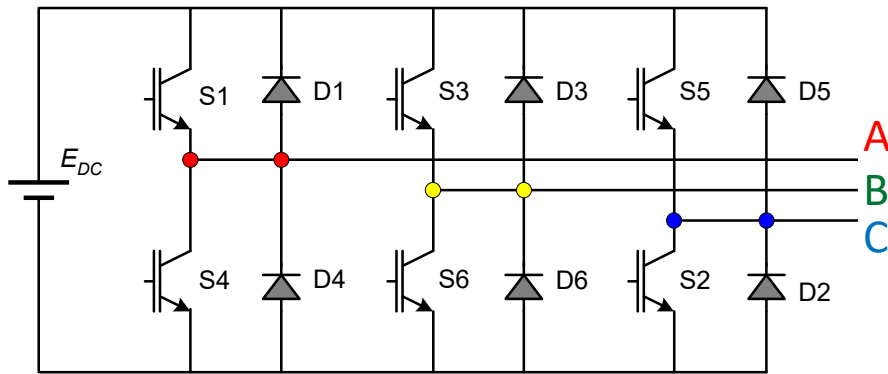
Features of 180 degree conduction

- ❑ Conduction period for each switch is 180°
- ❑ Three switches conduct at a time
- ❑ There is possibility of cross conduction if a dead band delay is not deliberately introduced.
- ❑ Phase voltages are six step waves
- ❑ Line voltages are quasi square waves

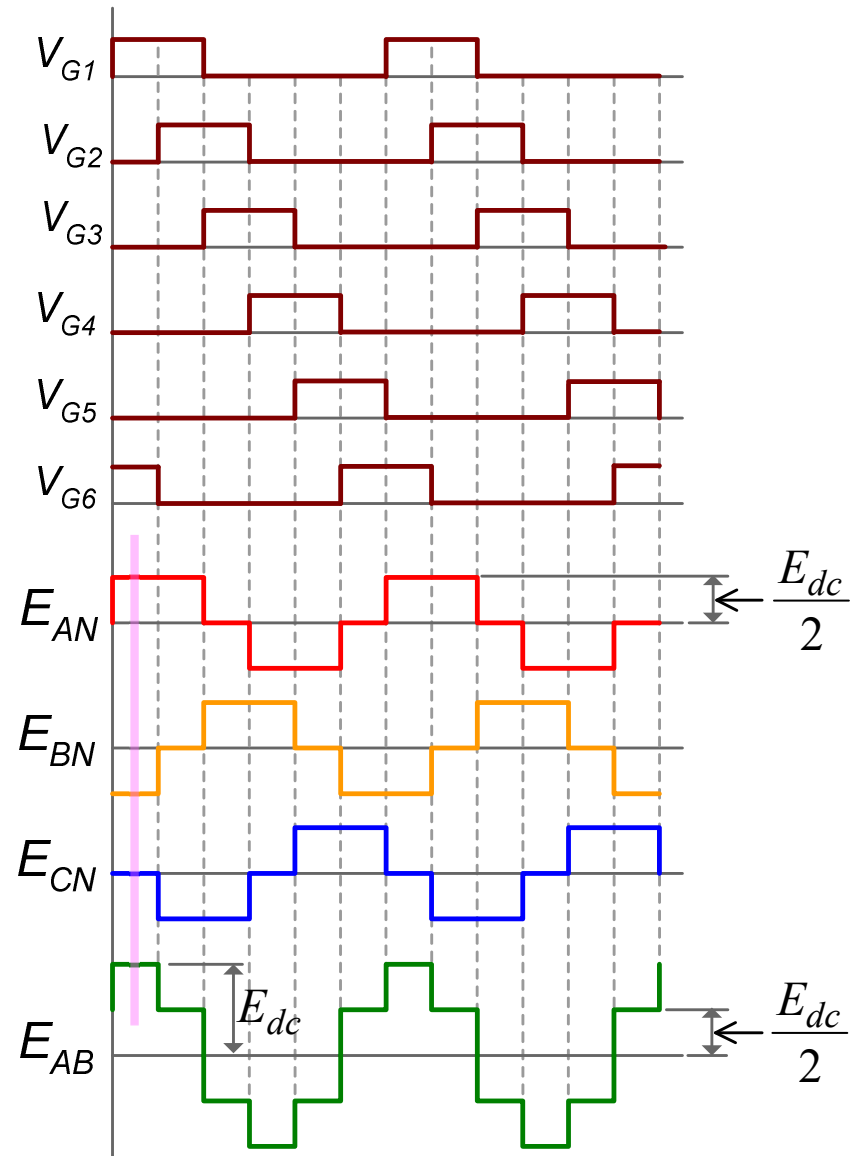
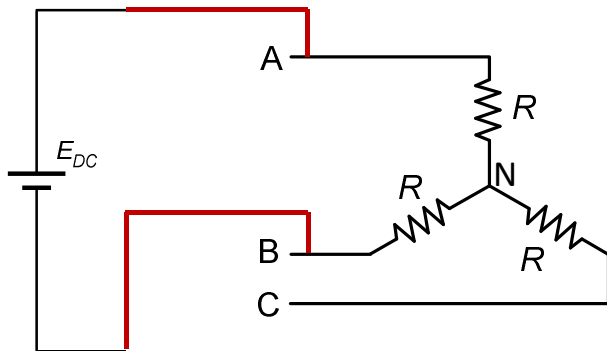


3-Phase Inverter

120° conduction

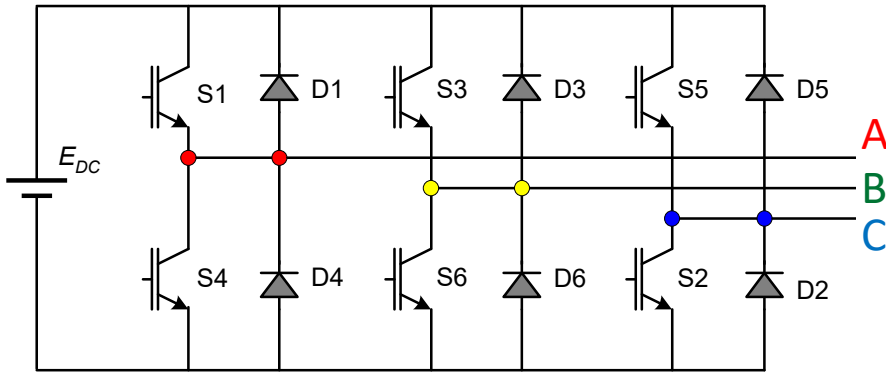


Connection during **first** interval

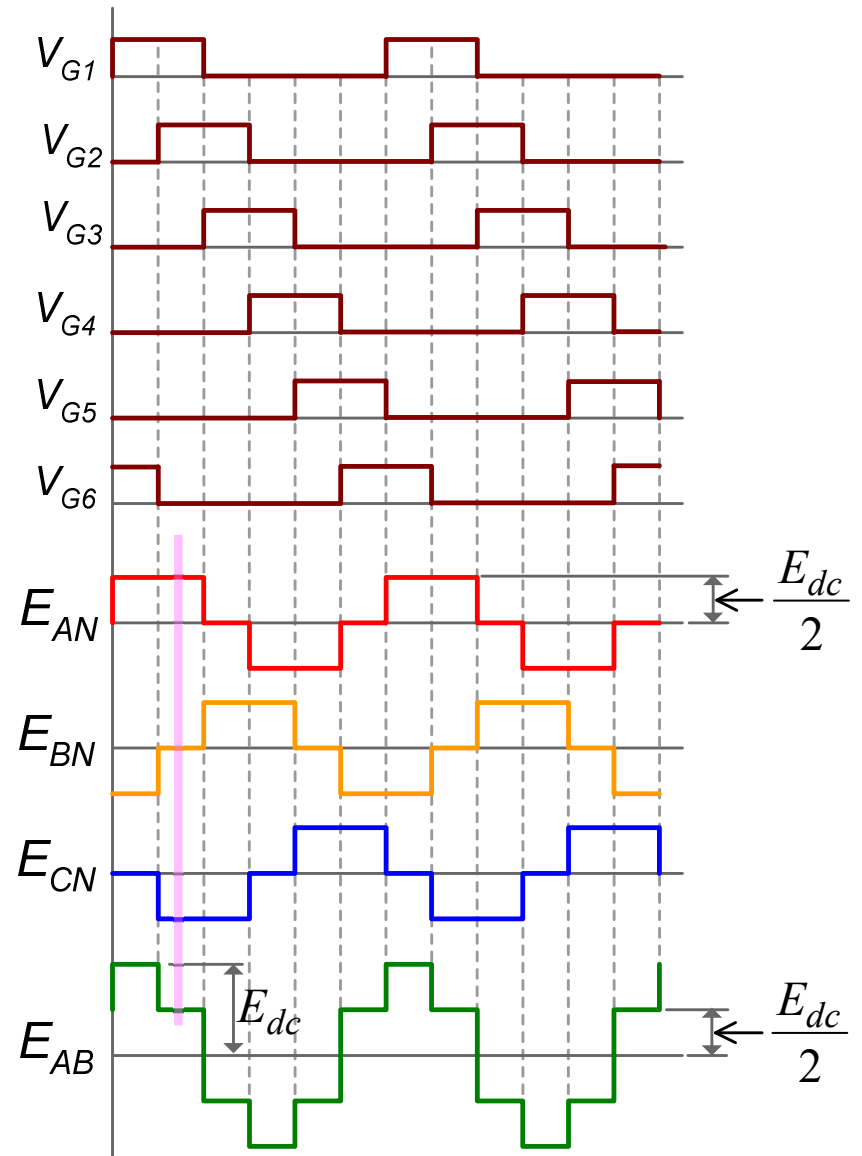
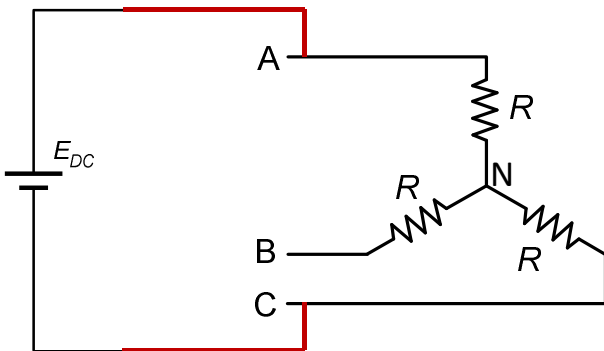


3-Phase Inverter

120° conduction

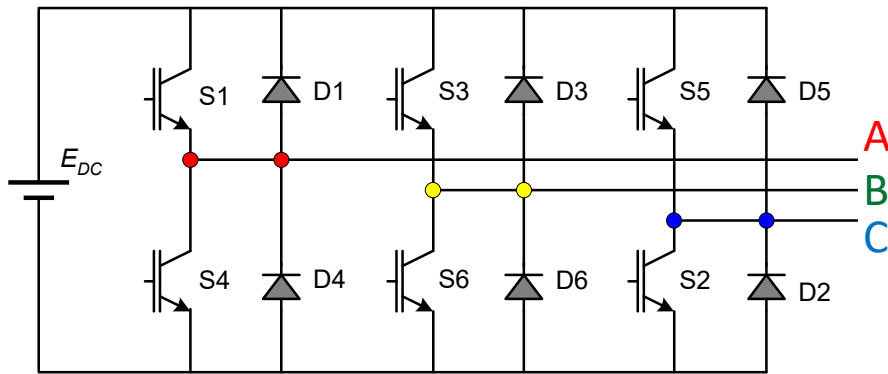


Connection during **second** interval

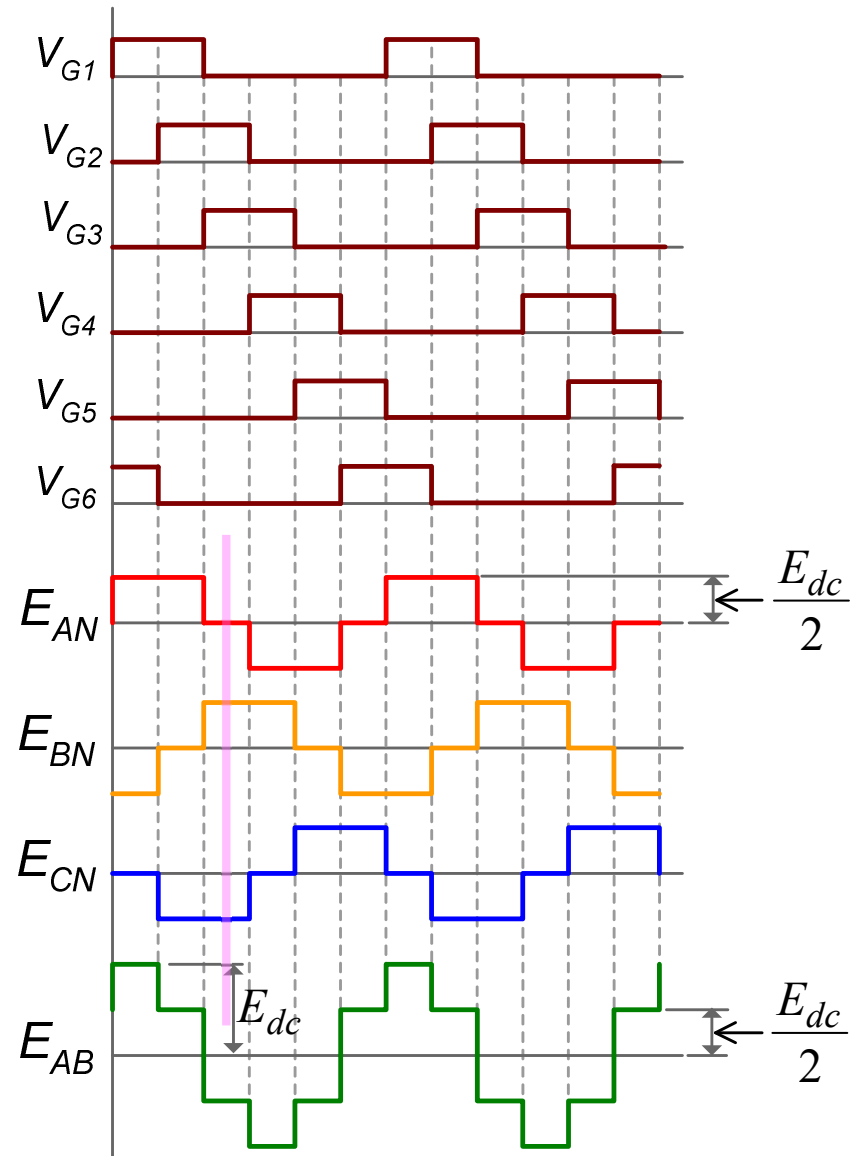
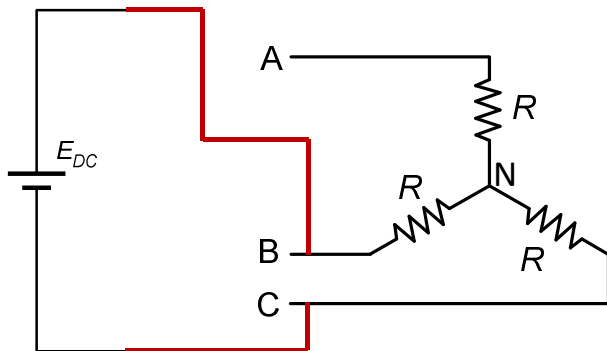


3-Phase Inverter

120° conduction

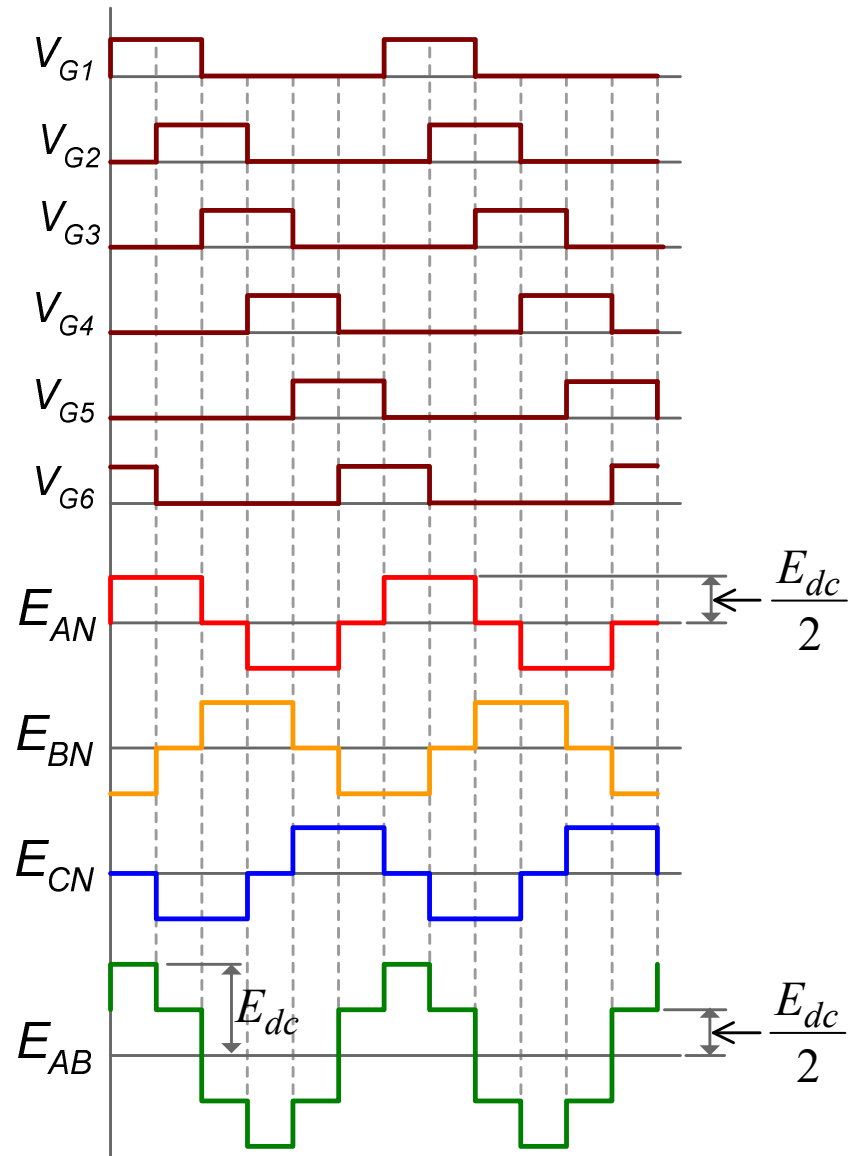
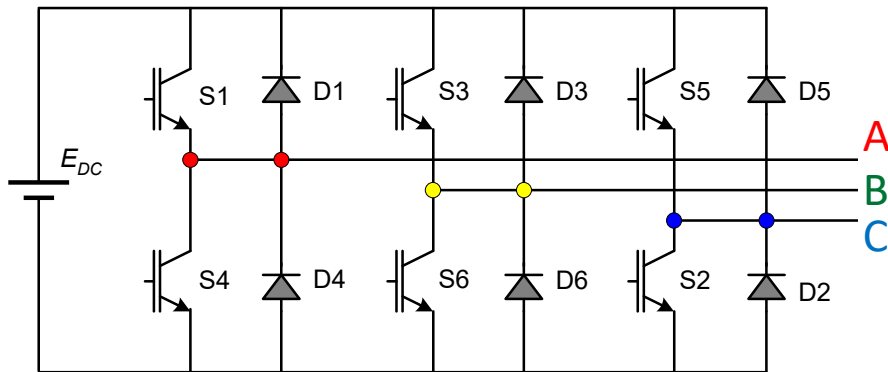


Connection during **third** interval



3-Phase Inverter

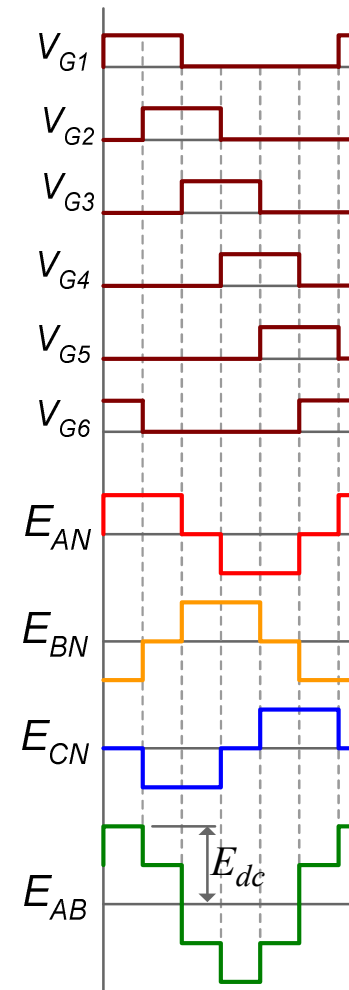
120° conduction



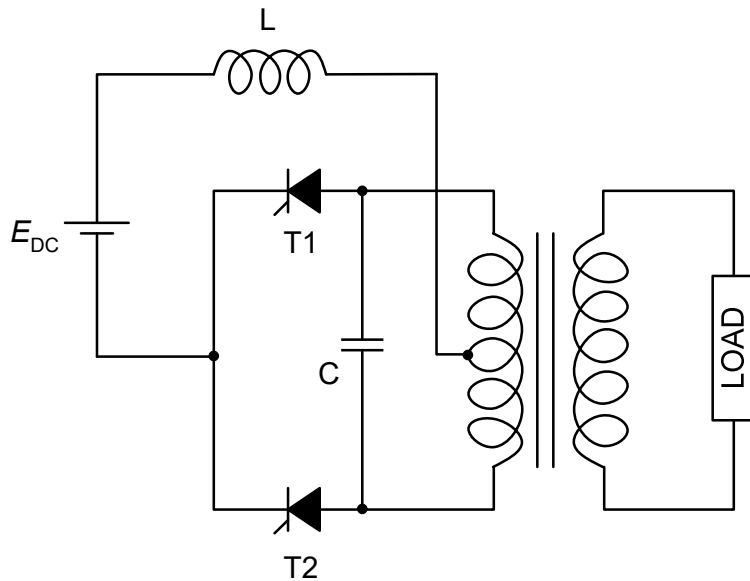
Interval	Incoming Device	Conducting Devices
1	S1	6,1
2	S1	1,2
3	S3	2,3
4	S4	3,4
5	S5	4,5
6	S6	5,6

Features of 120 degree conduction

- ❑ Conduction period for each switch is only 120°
- ❑ Only two switches conduct at a time
- ❑ Two switches in the same leg of bridge have inherent dead band of 60° and there is no possibility of cross conduction
- ❑ Phase voltages are quasi square waves
- ❑ Line voltages are six step waves



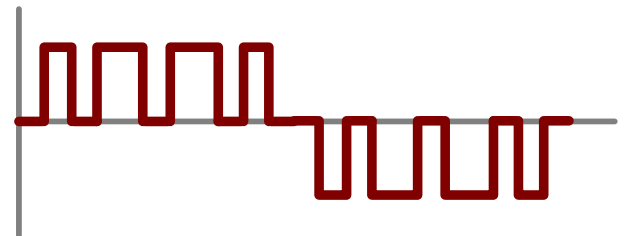
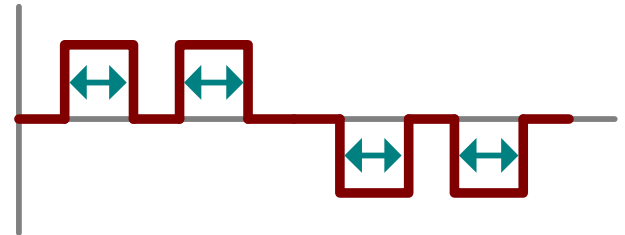
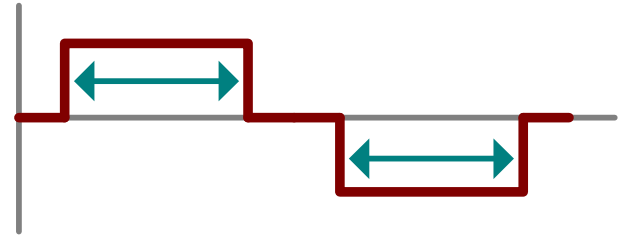
Parallel Inverter



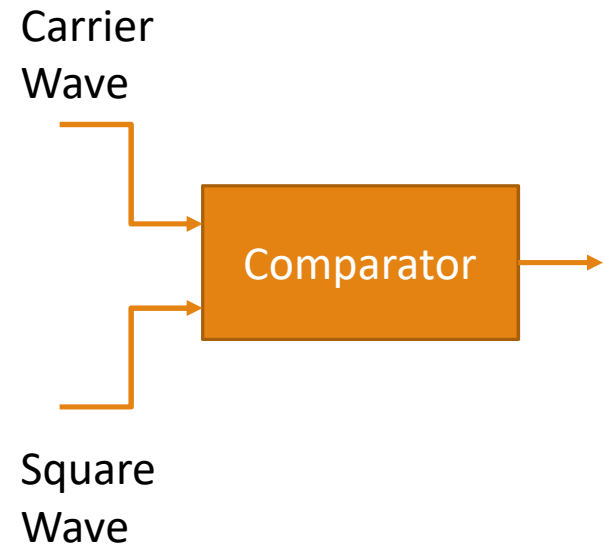
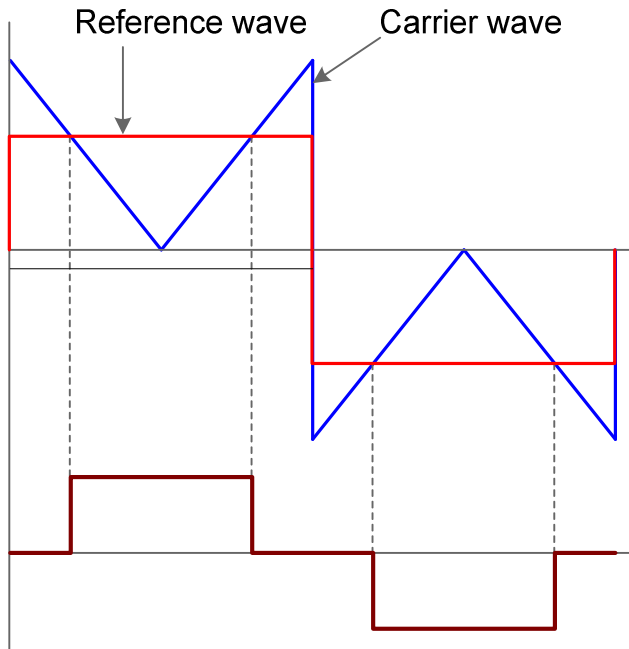
- ❑ SCRs can be used as switch, simple forced commutation is possible
- ❑ When T1 is turned on, the transformer is energised in one direction and the capacitor C is charged with a voltage of $2E_{DC}$
- ❑ When T2 is turned on capacitor voltage is applied to T1 in reverse direction and commutates it; the capacitor C is charged with a voltage of $-2E_{DC}$
- ❑ T1 is turned on again forcing T2 to turn off and the cycle repeats
- ❑ Higher output voltage is possible by suitable transformer turns ratio

Voltage Control with Pulse Width Modulation

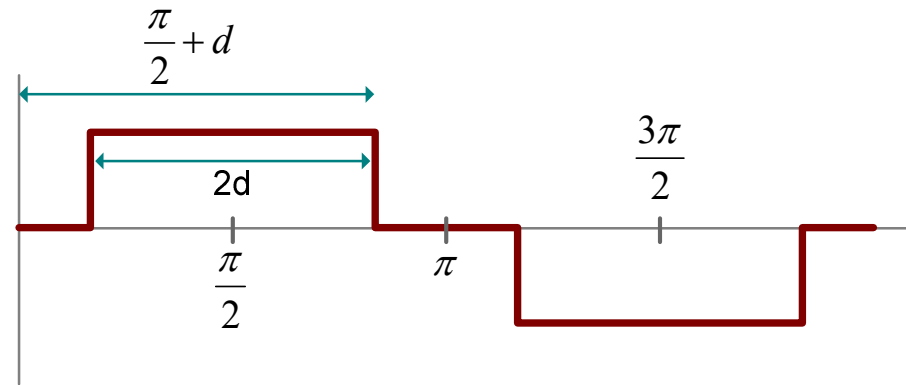
- ❑ **Single Pulse width Modulation**
 - Consists of a pulse with variable width in each half cycle
 - width varies from 0 to π
- ❑ **Multiple Pulse Width Modulation**
 - Is an extension of single PWM and uses several equidistant pulses in each half cycle
- ❑ **Sinusoidal Pulse Width Modulation**
 - Pulse width is a sinusoidal function of angular position of the pulse in a cycle



Single Pulse PWM



Single Pulse PWM



RMS value of output voltage, $V = V_{DC} \left[\frac{2d}{\pi} \right]^{\frac{1}{2}}$

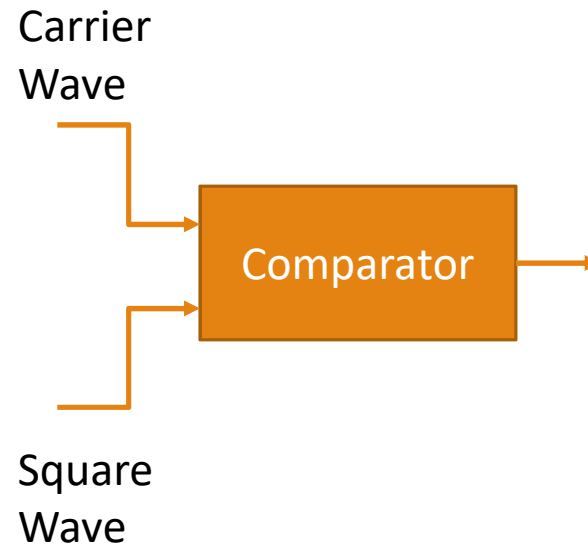
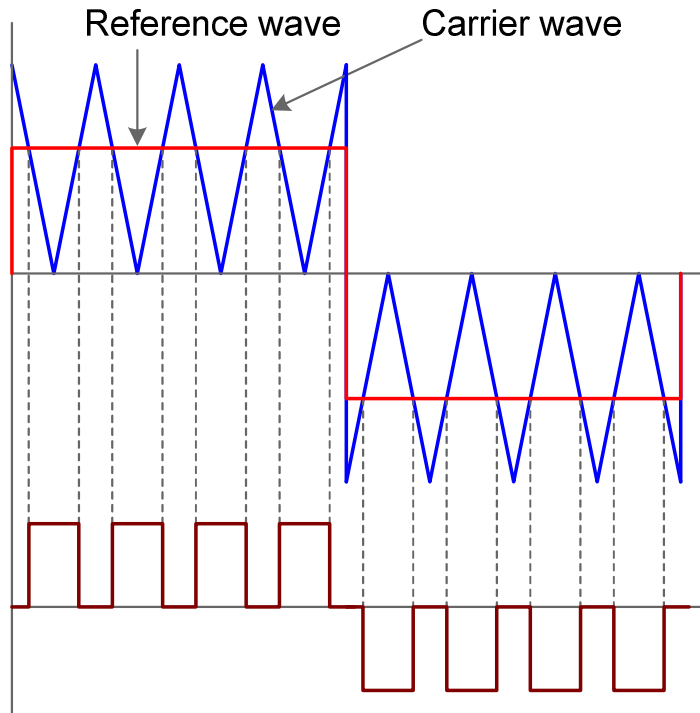
Peak value of nth harmonic, $V_{onm} = \frac{4V_{DC}}{n\pi} \sin nd$

When pulsewidth is 120° , $d = 60^\circ$

Then peak value of 3rd harmonic, $V_{o3m} = \frac{4V_{DC}}{3\pi} \sin 3 \times 60 = 0$

This implies, when the pulse width is 120° , third harmonics will be eliminated

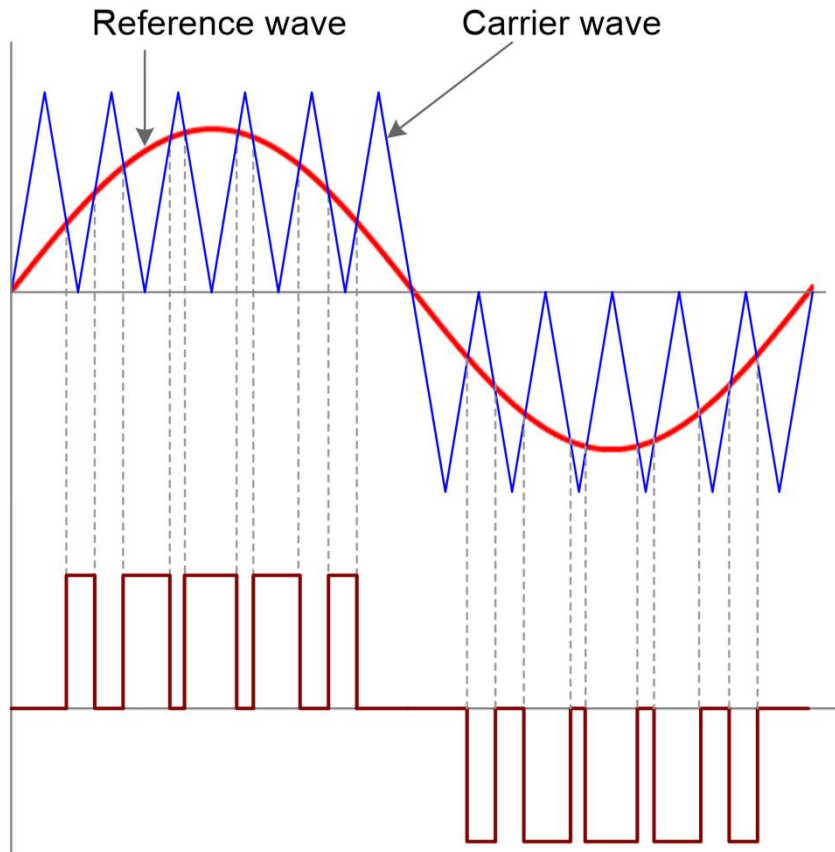
Multiple Pulse PWM



RMS value of output voltage, $V = V_{DC} \left[\frac{N_p \times P}{\pi} \right]^{\frac{1}{2}}$

N_p = number of pulses in a half cycle
 P = pulse width

Sine PWM



$$\text{Modulation Index, } MI = \frac{V_r}{V_c}$$

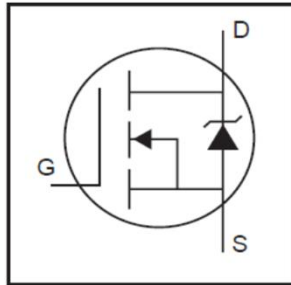
where V_r is the peak of reference wave and V_c is the peak of carrier wave

There will be low order harmonics when MI is greater than 1

Typical MOSFETS

IRFP250N

HEXFET® Power MOSFET



$V_{DSS} = 200V$
$R_{DS(on)} = 0.075\Omega$
$I_D = 30A$

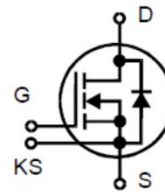
utilize advanced processing over silicon area. This benefit, optimized device design that provides the designer with an wide variety of applications.

Industrial applications where efficiency is critical. The TO-247 is similar to its isolated mounting hole.

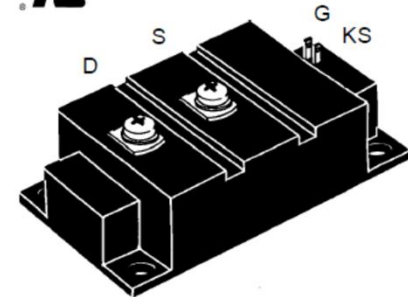


VMO 650-01F

V_{DSS}	= 100 V
I_{D25}	= 690 A
$R_{DS(on)}$	= 1.8 mΩ



RU E 72873



D = Drain S = Source
KS = Kelvin Source G = Gate

Maximum Ratings

100	V
100	V
±20	V
±30	V

Typical IGBTs

HGTG30N120D2

30A, 1200V N-Channel IGBT

Package

JEDEC STYLE TO-247

EMITTER
COLLECTOR
GATE

COLLECTOR
(BOTTOM SIDE
METAL)

Terminal Diagram

N-CHANNEL ENHANCEMENT MODE

C
G
E

BRAND

120D2

tage switching
Ts and bipolar
ince of a MOS-
polar transistor.
nly moderately

ing applications
nduction losses
ls, power sup-
ors.

MITSUBISHI IGBT MODULES

CM50DY-28H

MEDIUM POWER SWITCHING USE
INSULATED TYPE

